Lemma 15.3: Added poset $\mathfrak{C}$.

Theorem 15.8: $()^\dagger \to ()^{-1}$.

Theorem 15.9: "morphisms of a quasi-invertible category where Dst f and Dst g are filters on boolean lattices" → "pointfree funcoids between filters on boolean lattices".

Proof of theorem 15.9: 1. Added reference to theorem 13.73; 2. replaced a wrong theorem reference.

Proposition 15.10 → corollary 15.10: Added "Src f, Dst f, Src g, Dst g are boolean lattices".

Proposition 15.20. Strenghtened: lattice → poset.

Proof of proposition 15.24: $\bigsqcup \operatorname{atoms} x_i \to \lambda i \in \operatorname{dom} x \colon \bigsqcup \operatorname{atoms} x_i$.

Added corollary 15.21, which I previously refered to without proof.

Corollary 15.25: Strenghtened: "atomistic complete lattices" → "atomistic poseets with least elements".

Proof of proposition 15.26: $\subseteq \to \sqsubseteq$.

Proof of proposition 15.28: 1. "finitely join-closed" → "join-closed"; 2. $\sqcap^{\mathfrak{Z}_i} \to \sqcup^{\mathfrak{Z}_i}$; 3. said that joins exist. 4. Added reference to a necessary statement which was missing previously; $\lambda \in n \to \lambda i \in n$.

Proposition 15.33: Added a missing theorem condition. Now a proposition with a proof.

Proposition 15.34: Seriously rewritten.

Proposition 15.35: Added "with $\operatorname{up} x \neq \emptyset$ for every $x \in \mathfrak{A}_i$ (for every $i \in n$)".

Proof of proposition 15.40: $\bigsqcap \ \to \bigsqcup$.

Proposition 15.41 and its corollary: $n \to \operatorname{dom} \mathfrak{A}$.

Proof of proposition 15.41: $\mathfrak{A} \to \prod \mathfrak{A}$.

Corollary 15.42: least → greatest.

Definition 15.54: a poset relation → anchored relation between posets.

Lemma 15.55: completary staroid → graph of completary staroid. Also the proof is corrected.

Proposition 15.56: $f \to \operatorname{GR} f$.

Proposition 15.57: A → Every.

Proof of proposition 15.57: The old proof was valid only for a special case.

Proof of proposition 15.64: 1. $\operatorname{up} L \to L$. 2. $\mathscr{P}\mathfrak{Z} \to \mathfrak{Z}$.

Proposition 15.65 and its proof: 1.$(\operatorname{val} \Downarrow f))_i \to (\operatorname{val} \Downarrow f)_i$; 2. $(\operatorname{form} f)_i \to \mathfrak{Z}_i$.

The section "Displacement" moved after the definition of cross-composition product.

Definition 15.70: is → be.

Theorem 15.74: 1. Theorem conditions exchanged; $L \in \prod \mathfrak{A} \to L \in \prod \mathfrak{A}|_{\operatorname{dom} \mathfrak{A} \setminus \{i\}}$; 2. added "of the form $\lambda i \in \operatorname{dom} \mathfrak{A} \colon \mathfrak{F}(\mathfrak{A}_i)$".

Proof of theorem 15.74: 1. Added "(taking into account that $\mathfrak{A}_i$ is a boolean lattice)"; 2. Removed $=K=$.

Definition 15.72: Added a new definition (Λ).

Theorem 15.75: Theorem condition rewritten.

Remark 15.79: posets → pre-multifuncoid sketches.

Theorem 15.80: Strenghtened: distributive lattices → starrish join-semilattices.