

**Conjecture 26.** Every entirely defined monovalued isomorphism of the category of funcoids is a discrete funcoid.

**Conjecture 27.** For composable reloids  $f$  and  $g$  it holds

1.  $\text{Compl}(g \circ f) = (\text{Compl } g) \circ f$  if  $f$  is a co-complete reloid;
2.  $\text{CoCompl}(f \circ g) = f \circ \text{CoCompl } g$  if  $f$  is a complete reloid;
3.  $\text{CoCompl}((\text{Compl } g) \circ f) = \text{Compl}(g \circ (\text{CoCompl } f)) = (\text{Compl } g) \circ (\text{CoCompl } f)$ ;
4.  $\text{Compl}(g \circ (\text{Compl } f)) = \text{Compl}(g \circ f)$ ;
5.  $\text{CoCompl}((\text{CoCompl } g) \circ f) = \text{CoCompl}(g \circ f)$ .

## Relationships of funcoids and reloids

**Conjecture 28.**  $(\text{RLD})_{\Gamma} f = (\text{RLD})_{\text{in}} f$  for every funcoid  $f$ .

**Conjecture 29.**  $(\text{RLD})_{\text{in}}(g \circ f) = (\text{RLD})_{\text{in}} g \circ (\text{RLD})_{\text{in}} f$  for every composable funcoids  $f$  and  $g$ .

**Conjecture 30.**  $(\text{RLD})_{\text{out}} \text{id}_{\mathcal{A}}^{\text{FCD}} = \text{id}_{\mathcal{A}}^{\text{RLD}}$  for every filter  $\mathcal{A}$ .

**Conjecture 31.**  $(\text{RLD})_{\text{in}}$  is not a lower adjoint (in general).

**Conjecture 32.**  $(\text{RLD})_{\text{out}}$  is neither a lower adjoint nor an upper adjoint (in general).

**Conjecture 33.** If  $\mathcal{A} \times^{\text{RLD}} \mathcal{B} \sqsubseteq (\text{RLD})_{\text{in}} f$  then  $\mathcal{A} \times^{\text{FCD}} \mathcal{B} \sqsubseteq f$  for every funcoid  $f$  and  $\mathcal{A} \in \mathfrak{F}(\text{Src } f)$ ,  $\mathcal{B} \in \mathfrak{F}(\text{Dst } f)$ .

**Conjecture 34.**  $\rho \sqcap F = \sqcap \langle \rho \rangle F$  for a set  $F$  of reloids. ( $\rho$  is defined in [1])

**Conjecture 35.** For every funcoid  $g$

1.  $\text{Cor } (\text{RLD})_{\text{in}} g = (\text{RLD})_{\text{in}} \text{Cor } g$ ;
2.  $\text{Cor } (\text{RLD})_{\text{out}} g = (\text{RLD})_{\text{out}} \text{Cor } g$ .

**Conjecture 36.** For every composable funcoids  $f$  and  $g$

$$(\text{RLD})_{\text{out}}(g \circ f) \supseteq (\text{RLD})_{\text{out}} g \circ (\text{RLD})_{\text{out}} f.$$

## Connectedness of funcoids and reloids

**Conjecture 37.** A filter  $\mathcal{A}$  is connected regarding a funcoid  $\mu$  iff  $\mathcal{A}$  is connected for every discrete funcoid  $F \in \text{up } \mu$ .

**Conjecture 38.** A filter  $\mathcal{A}$  is connected regarding a reloid  $f$  iff it is connected regarding the funcoid  $(\text{FCD})f$ .